## STA130H1F

## Class\#3

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## Welcome back to STA130 (3)

## Today's class

- Statistical data


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- Statistical data
- Tidy data


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- Data wrangling


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## Today's class

- Statistical data
- Tidy data
- Data wrangling
- Boxplots


## Statistical data

## What is statistical data?

- Statistical data is obtained by observing (random) variables.
- A random variable can be given a precise mathematical definition that we will cover later in the course.
- In this class we will discuss examples.


## Observing a few variables on STA130 students

- What is your height?
- How many years have been at UofT?
- What is your sex (male or female)?

Collecting this data will generate three variables: height, years, and eye_colour.

## Enter variables on STA130 students

```
height <- c()
years <- c()
eye_colour <- c()
```

Put the variables into an R data frame.
NB: data_frame is the tidyverse version of base R data.frame.

```
sta130_dat <- data_frame(height, years, eye_colour)
```

We could have entred this in a spreadsheet program like MS Excel, saved it as a CSV file, then imported the file into R.

## Tidy data

There are three interrelated rules which make a dataset tidy:

1. Each variable must have its own column.
2. Each observation must have its own row.
3. Each value must have its own cell.

Suppose that a first year class of 250 students has the following distribution of eye colour.

| Colour | N |
| :--- | :---: |
| Blue | 105 |
| Hazel | 55 |
| Green | 75 |
| Other | 15 |

We can create a tidy data set with a categorical variable eye_col.

Suppose that a first year class of 250 students has the following distribution of eye colour.

| Colour | $\mathbf{N}$ |
| :--- | :--- |
| Blue | 105 |
| Hazel | 55 |
| Green | 75 |
| Other | 15 |

We can create a tidy data set with a categorical variable eye_col.

```
library(tidyverse)
blue_eye <- rep("Blue", 105)
hazel_eye <- rep("Hazel", 55)
green_eye <- rep("Green", 75)
other_eye <- rep("Other", 15)
eye_col = c(blue_eye, hazel_eye,
    green_eye, other_eye)
eye_data <- data_frame(stnum = 1:250, eye_col)
glimpse(eye_data)
## Observations: 250
## Variables: 2
## $ stnum <int> 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16,...
## $ eye_col <chr> "Blue", "Blue", "Blue", "Blue", "Blue", "Blue", "Blue# /.32
```


## Tidy data

Which data set is tidy?

```
## # A tibble: 6 x 4
## country year cases population
## <chr> <int> <int> <int>
## 1 Afghanistan 1999 745 19987071
## 2 Afghanistan 2000 2666 20595360
## 3 Brazil 1999 37737 172006362
## 4 Brazil 2000 80488 174504898
## 5 China 1999 212258 1272915272
## 6 China 2000 213766 1280428583
## # A tibble: 6 x 3
## country year rate
## * <chr> <int> <chr>
## 1 Afghanistan 1999 745/19987071
## 2 Afghanistan 2000 2666/20595360
## 3 Brazil 1999 37737/172006362
## 4 Brazil 2000 80488/174504898
## 5 China 1999 212258/1272915272
## 6 China 2000 213766/1280428583
```


## Tidy data

"For a given dataset, it is usually easy to figure out what are observations and what are variables, but it is surprisingly difficult to precisely define variables and observations in general." (Wickham, 2014)

A general rule of thumb:

- It is easier to describe functional relationships between variables (e.g., $z$ is a linear combination of $x$ and $y$, density is the ratio of weight to volume) than between rows.
- It is easier to make comparisons between groups of observations (e.g., average of group a vs. average of group b) than between groups of columns.
(Wickham, 2014)


## Data Wrangling

## Data wrangling

- The ggplot library implements a grammer of graphics.
- Similarily the dplyr library presents a grammer for data wrangling.


## The Economic Guide to Picking a Major

## FiveThirtyEight

Politics Sports Science \& Health Economics Culture

## The Economic Guide To Picking A College Major

```
By Ben Casselman
Filed under Higher Education
```

Get the data on Github

"...A college degree is no guarantee of economic success. But through their choice of major, they can take at least some steps toward boosting their odds."

## The Economic Guide to Picking a Major

- The data used in the article is from the American Community Survey 2010-2012 Public Use Microdata Series.
- We can use the fivethirtyeight library in R.


## Data behind the article

```
library(fivethirtyeight) # load the library
glimpse(college_recent_grads)
## Observations: 173
## Variables: 21
## $ rank <int> 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11,...
## $ major_code
## $ major
## $ major_category
## $ total
## $ sample_size
## $ men
## $ women
## $ sharewomen
## $ employed
## $ employed_fulltime
## $ employed_parttime
## $ employed_fulltime_yearround
## $ unemployed
## $ unemployment_rate
## $ p25th
## $ median
## $ p75th
## $ college_jobs
<int> 2419, 2416, 2415, 2417, 2405, 2418...
<chr> "Petroleum Engineering", "Mining A...
<chr> "Engineering", "Engineering", "Eng...
<int> 2339, 756, 856, 1258, 32260, 2573,...
<int> 36, 7, 3, 16, 289, 17, 51, 10, 102\ldots
<int> 2057, 679, 725, 1123, 21239, 2200,...
<int> 282, 77, 131, 135, 11021, 373, 166...
<dbl> 0.1205643, 0.1018519, 0.1530374, 0...
<int> 1976, 640, 648, 758, 25694, 1857, ...
<int> 1849, 556, 558, 1069, 23170, 2038,...
<int> 270, 170, 133, 150, 5180, 264, 296...
<int> 1207, 388, 340, 692, 16697, 1449, ...
<int> 37, 85, 16, 40, 1672, 400, 308, 33...
<dbl> 0.018380527, 0.117241379, 0.024096...
<dbl> 95000, 55000, 50000, 43000, 50000,...
<dbl> 110000, 75000, 73000, 70000, 65000...
<dbl> 125000, 90000, 105000, 80000, 7500.
<int> 1534, 350, 456, 529, 18314, 1142, !.32
```


## Select variables/columns using select()

To retrieve a data frame with only major, number of male and female graduates we use the select ( ) function in the dplyr library.

```
select(college_recent_grads,major, men,women)
## # A tibble: 173 x 3
## major men women
## <chr> <int> <int>
## 1 Petroleum Engineering 2057 282
## 2 Mining And Mineral Engineering 679 77
## 3 Metallurgical Engineering 725 131
## 4 Naval Architecture And Marine Engineering 1123 135
## 5 Chemical Engineering 21239 11021
## 6 Nuclear Engineering 2200 373
## 7 Actuarial Science 2110 1667
## 8 Astronomy And Astrophysics 832 960
## 9 Mechanical Engineering 80320 10907
## 10 Electrical Engineering 65511 16016
## # ... with 163 more rows
```


## Select observations/rows using filter()

If we want to retrieve only those observations (rows) that pertain to engineering majors then we need to specify that the value of the major variable is Electrical Engineering.

```
# == is a test for equality and is different than =.
EE <- filter(college_recent_grads,
    major == "Electrical Engineering")
glimpse(EE)
## Observations: 1
## Variables: 21
## $ rank
## $ major_code
## $ major
## $ major_category
## $ total
## $ sample_size
## $ men
## $ women
## $ sharewomen
## $ employed
## $ employed_fulltime
```

```
<int> 10
```

<int> 10
<int> 2408
<int> 2408
<chr> "Electrical Engineering"
<chr> "Electrical Engineering"
<chr> "Engineering"
<chr> "Engineering"
<int> 81527
<int> 81527
<int> 631
<int> 631
<int> 65511
<int> 65511
<int> 16016
<int> 16016
<dbl> 0.1964503
<dbl> 0.1964503
<int> 61928
<int> 61928
<int> 55450

```
<int> 55450
```


## Combine select() and filter()

- We can drill down to get certain pieces of information using filter () and select () together.
- The median variable is median salary.

```
select(filter(college_recent_grads, median <= 25000 ),
    major, men, women)
```

(1) Which students, and (2) variables are in this data frame?
$\zeta_{\text {Respond at Pollev.com/nathantaback }}$
$\square$ Text NATHANTABACK to $\mathbf{3 7 6 0 7}$ once to join, then $\mathbf{A}, \mathbf{B}, \mathbf{C}$, or $\mathbf{D}$
(1) $50 \%$ of the students in the original data set that earn 25,000; (2) A
three variables: major, men, women
(1) All students in the original data set in a major where the median salary is at least 25,000; (2) all variables in the data set.
(1) $50 \%$ of the students in the original data set that earn at most

25,000; (2) three variables: major, men, women
(1) All students in the original data set in a major where the median salary is at most 25,000; (2) three variables: major, men, women

## The pipe operator \%>\%

In the code:

```
select(filter(college_recent_grads, median >= 60000),
    major,men,women)
```

filter is nested inside select.

The pipe operator allows is an alternative to nesting and yields easier to read code.

The same expression can be written with the pipe operator

```
college_recent_grads %>%
    filter(median >= 60000) %>%
    select(major, men, women)
```


## Create new variables from existing variables using mutate ()

What percentage of graduates from each major where the median earnings is at least $\$ 60,000$ are men ?

```
college_recent_grads %>%
    filter(median >= 60000) %>%
    select(major, men, women) %>%
    mutate(total = men + women,
            pct_male = round((men / total)*100, 2))
```

Compare to nested code:

```
mutate(select(filter(college_recent_grads,median >= 60000),
    major, men, women),
    total = men + women,
    pct_male = round((men / total)*100, 2))
```


## Create new variables from existing variables using mutate ()

```
knitr::kable(college_recent_grads %>%
    filter(median >= 60000) %>%
    select(major, men, women) %>%
    mutate(total = men + women,
        pct_male = round((men / total)*100, 2)),
    format = "html")
```

| major | men | women | total | pct_male |
| :--- | ---: | ---: | ---: | ---: |
| Petroleum Engineering | 2057 | 282 | 2339 | 87.94 |
| Mining And Mineral Engineering | 679 | 77 | 756 | 89.81 |
| Metallurgical Engineering | 725 | 131 | 856 | 84.70 |
| Naval Architecture And Marine <br> Engineering | 1123 | 135 | 1258 | 89.27 |
| Chemical Engineering | 21239 | 11021 | 32260 | 65.84 |
| Nuclear Engineering | 2200 | 373 | 2573 | 85.50 |

## Create new variables from existing variables using mutate( ) and ifelse()

- Suppose that we would like to create a categorical variable to identify majors with between $45 \%$ and $55 \%$ women (ie., approximately equal numbers of males and females).


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The format of an ifelse ( ) statement in $R$ is:
ifelse(test, yes, no)

## Create new variables from existing variables using mutate() and ifelse()

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- We can use ifelse() in a mutate() statement.

The format of an ifelse () statement in R is:

```
ifelse(test, yes, no)
people <- c("Jamie", "Lei", "Francois", "Fanny")
ifelse(people == "Lei" | people == "Fanny", "Female", "Male")
## [1] "Male" "Female" "Male" "Female"
```

```
college_recent_grads %>%
    select(major, men, women) %>%
    mutate(total = men + women,
        pct_female = round((women / total)*100, 2),
            sex.equal = ifelse(pct_female >= 45 & pct_female <= 55,
                                    "Yes","No")) %>%
    select(major,sex.equal)
## # A tibble: 173 x 2
## major sex.equal
## <chr> <chr>
## 1 Petroleum Engineering No
## 2 Mining And Mineral Engineering No
## 3 Metallurgical Engineering No
## 4 Naval Architecture And Marine Engineering No
## 5 Chemical Engineering No
## 6 Nuclear Engineering No
## 7 Actuarial Science No
## 8 Astronomy And Astrophysics Yes
## 9 Mechanical Engineering No
## 10 Electrical Engineering No
## # ... with 163 more rows
```


## Rename variables using rename ( )

- It's considered bad practice in R to use periods in variable names.
- We can use rename () to change the name of sex. equal to sex_equal.

```
my_college_dat <- college_recent_grads %>%
    select(major, men, women, median) %>%
    mutate(total = men + women,
        pct_female = round((women / total)*100, 2),
            sex.equal = ifelse(pct_female >= 45 &
                pct_female <= 55, "Yes","No")) %>%
    select(major,sex.equal, median)
my_college_dat <- my_college_dat %>%
    rename(sex_equal = sex.equal, salary_median = median)
glimpse(my_college_dat)
## Observations: 173
## Variables: 3
## $ major <chr> "Petroleum Engineering", "Mining And Mineral Eng...
## $ sex_equal <chr> "No", "No", "No", "No", "No", "No", "No", "Yes",...
## $ salary_median <dbl> 110000, 75000, 73000, 70000, 65000, 65000, 62000...
```


## Sort a data frame using arrange ( )

```
my_college_dat %>%
    select(major, salary_median) %>%
    arrange(desc(salary_median))
## # A tibble: 173 x 2
## major salary_median
## <chr>
        <dbl>
## 1 Petroleum Engineering 110000
## 2 Mining And Mineral Engineering 75000
## 3 Metallurgical Engineering 73000
## 4 Naval Architecture And Marine Engineering 70000
## 5 Chemical Engineering 65000
## 6 Nuclear Engineering 65000
## 7 Actuarial Science 62000
## 8 Astronomy And Astrophysics 62000
## 9 Mechanical Engineering 60000
## 10 Electrical Engineering 60000
## # ... with 163 more rows
```


## Summarize a data frame using summarize()

The average number of female grads and the total number of majors in the data set.

```
college_recent_grads %>%
    select(major, men, women) %>%
    summarise(femgrad_mean = mean(women, na.rm = T), N = n())
## # A tibble: 1 x 2
## femgrad_mean N
## <dbl> <int>
## 1 22647. 173
```


## Summarize groups in a data frame using summarize () and group_by ()

The median salary in majors with 45\%-55\% female students.

```
my_college_dat %>%
    group_by(sex_equal) %>%
    summarise(median(salary_median))
## # A tibble: 3 x 2
## sex_equal `median(salary_median)`
## <chr> <dbl>
## 1 No 36000
## 2 Yes 37400
## 3 <NA> 53000
```


## Boxplots to compare distribution of salary in males versus females

```
my_college_dat %>% filter(is.na(sex_equal) == FALSE) %>%
    ggplot(aes(x = sex_equal, y = salary_median)) + geom_boxplot()
```



## Anatomy of a Boxplot

A boxplot summarizes the distribution of a quantitative variable using five statistics while plotting unusual observations (outliers).

## Anatomy of a Boxplot

A boxplot summarizes the distribution of a quantitative variable using five statistics while plotting unusual observations (outliers).

The five statistics are:

- $Q_{1}=25^{\text {th }}$ percentile (first quartile)
- Median $=50^{\text {th }}$ percentile
- $Q_{3}=75^{\text {th }}$ percentile (third quartile)
- lower whisker $=Q_{1}-1.5 \times I Q R$
- upper whisker $=Q_{3}+1.5 \times I Q R$
$\mathrm{NB}: I Q R=Q_{3}-Q_{1}$ is called the inter-quartile range.


## Anatomy of a Boxplot

An outlier in is defined as any value of the quantitative variable that is either:
less than $Q_{1}-1.5 \times I Q R$ or greater than $Q_{3}+1.5 \times I Q R$.

## Anatomy of a Boxplot

An outlier in is defined as any value of the quantitative variable that is either:
less than $Q_{1}-1.5 \times I Q R$ or greater than $Q_{3}+1.5 \times I Q R$.
The whiskers of the boxplot capture data outside the box, but not more than $1.5 \times I Q R$.

```
x
## [1] 0.14 0.15 0.15 0.44 0.54 0.76 0.96 1.18 1.23 2.89
quantile(x, 0.25)
## 25%
## 0.2225
quantile(x, 0.50)
## 50%
## 0.65
quantile(x, 0.75)
## 75%
## 1.125
quantile(x, 0.75) - quantile(x, 0.25) # IQR
## 75%
## 0.9025
```

The boxplot of the data ...

```
data_frame(x) %>%
    ggplot(aes(x = "", y = x)) +
    geom_boxplot()
```



